$(Y\Delta, Y\Delta) = \Delta \times \Delta = Y\Delta$ $[Y\Delta, Y\Delta] = \Delta \times \Delta \times \Delta = Y\Delta$ $Y\Delta = \Delta \times \Delta$ $Y\Delta = \Delta \times \Delta$

(49, VV) = 1 $[49, VV] = 1 \times 11 \times V \times 11 = 4041$ $49 = 1 \times 11$ $49 = 1 \times 11$

 $(Y\Delta, Y\Delta +) = \Delta \times \Delta = Y\Delta$ $[Y\Delta, Y\Delta +] = \Delta \times \Delta \times Y \times Y \times Y = 1 \cdot \Delta \cdot$ $Y\Delta = \Delta \times \Delta \times Y$ $Y\Delta + = Y \times \Delta \times \Delta \times Y$

$$(\Upsilon \Delta, 1 \Delta \Delta) = \Delta$$
 $[\Upsilon \Delta, 1 \Delta \Delta] = \Delta \times Y \times \Upsilon 1 = 1 \cdot \lambda \Delta$
 $\Upsilon \Delta = \Delta \times Y$
 $1 \Delta \Delta = \Delta \times \Upsilon 1$

$$(\P \bullet, \Lambda 1) = \Upsilon \times \Upsilon = \P$$

$$[\P \bullet, \Lambda 1] = \Upsilon \times \Upsilon \times \Upsilon \times \Delta \times \Upsilon \times \Upsilon = \Lambda 1 \bullet$$

$$\P \bullet = \Upsilon \times \Upsilon \times \Upsilon \times \Delta$$

$$\Lambda 1 = \Upsilon \times \Upsilon \times \Upsilon \times \Upsilon$$

$$(\Upsilon 1\Delta, 99+) = \Upsilon \times \Upsilon \times \Delta = \Upsilon \Delta$$
 $[\Upsilon 1\Delta, 99+] = \Upsilon \times \Upsilon \times \Delta \times \Upsilon \times V \times 11 = 99\Upsilon + \Upsilon 1\Delta = \Upsilon \times \Upsilon \times \Delta \times \Upsilon$
 $99+=\Upsilon \times \Upsilon \times \Upsilon \times \Delta \times \Upsilon$

$$(\Delta \Delta, V \Delta) = \Delta$$
 $[\Delta \Delta, V \Delta] = \Delta \times V \times 11 \times \Delta = A V \Delta$
 $\Delta \Delta = \Delta \times 11$
 $V \Delta = V \times \Delta \times \Delta$

$$(\Delta +, 1 \wedge +) = \Upsilon \times \Delta = 1 +$$

$$[\Delta +, 1 \wedge +] = \Upsilon \times \Delta \times \Upsilon \times \Upsilon \times \Upsilon \times \Delta = 1 +$$

$$\Delta + = \Upsilon \times \Delta \times \Delta$$

$$1 \wedge + = \Upsilon \times \Upsilon \times \Upsilon \times \Upsilon \times \Delta$$

$$(\Upsilon \Delta, 1\Upsilon \star) = \Delta$$
 $[\Upsilon \Delta, 1\Upsilon \star] = \Delta \times \Upsilon \times \Upsilon \times 1\Upsilon = 91 \star$
 $\Upsilon \Delta = \Delta \times \Upsilon$
 $1\Upsilon \star = \Upsilon \times \Delta \times 1\Upsilon$

Ta:Ta,V*,1*a,1f*,1Va,T1*,Tfa,TA*,T1a,Ta*,TA a,ft*,faa,fq*,ata,af*,aqa,ft*,ffa,V**,VTa, VV*,A*a,Af*,AVa,q1*

18-:18-,78-,89-,50-,78-,91-

$$\frac{\frac{10}{9+} = \frac{1}{5}}{\frac{710}{99+} = \frac{71}{77}}$$

$$\frac{710}{99+} = \frac{57}{190} = \frac{71}{55} = \frac{7}{77}$$